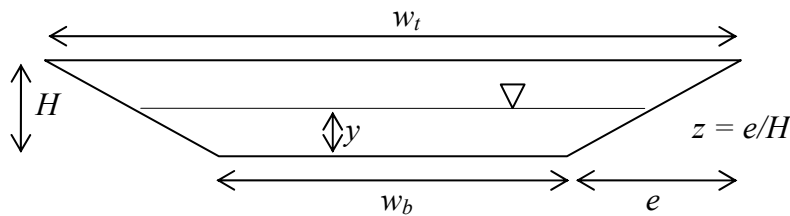


## Trapezoidal Grassed Swale Sample Design

### Task

Design a vegetated swale to filter the 6-month, 24-hour storm at a design flow depth of 3 inches. The available site is 200 feet in length and 8 feet wide on a longitudinal slope of 2 percent. Find the appropriate swale dimensions for sufficient capacity and stability. Assume a flow rate ( $Q$ ) from the 6-month, 24-h storm is  $0.014 \text{ m}^3/\text{s}$  ( $0.5 \text{ ft}^2/\text{s}$ ). The winter grass height is determined to be 125 mm (5 in) and the design flow depth of the swale is 0.076 m (3 in). Since the swale will be mowed regularly, a Manning's  $n$  value of 0.2 should be used. Assume soil analysis has established soils at the site as erosion resistant and the maximum velocity is 1.5 m/s.

### Trapezoid Swale Hydraulics



$$Q = \frac{R_h^{0.667} S^{0.5}}{n} A$$

- (1) Finds flow ( $Q$ ) based on Manning's equation given hydraulic radius ( $R_h$ ), slope ( $S$ ), friction factor ( $n$ ) and cross sectional flow area ( $A$ ).

$$w_b \cong \frac{Qn}{y^{1.67} S^{0.5}} - zH$$

- (2) Approximates bottom width ( $w_b$ ) given flow ( $Q$ ), Manning's  $n$  ( $n$ ), flow depth ( $y$ ), longitudinal slope ( $s$ ), and side slope ( $z$ ).

$$w_t = w_b + 2zH$$

- (3) Finds top width ( $w_t$ ) given bottom width ( $w_b$ ) and side slope ( $z$ ).

$$A_x = (w_b + zH)H$$

- (4) Finds the cross sectional area ( $A_x$ ) for the trapezoid given the length of its base ( $w_b$ ), side slope ( $z$ ), and height ( $H$ )

$$U = \frac{Q}{A_x}$$

- (5) Calculates channel velocity ( $U$ ) given flow ( $Q$ ) and cross sectional area ( $A_x$ ).

$$L = Ut_r (60 \text{ s/min})$$

- (6) Finds swale length ( $L$ ) given channel velocity and hydraulic residence time ( $t_r$ ).

$$R_h = \frac{UR_h}{U_{max}}$$

- (7) Finds trial velocity x hydraulic radius ( $UR_h$ ) values given maximum velocity ( $U_{max}$ ) determined from figure 1.

$$UR = \frac{R_h^{1.667} S^{0.5}}{n}$$

- (8) Finds actual velocity ( $U$ ) given hydraulic radius ( $R_h$ ), longitudinal slope ( $S$ ), and Manning's  $n$  ( $n$ ).

$$U = \frac{UR_h}{R_h}$$

- (9) Finds the actual velocity for the final design ( $U$ ) given hydraulic radius ( $R_h$ )

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$$A_x = \frac{Q}{U} \quad (10) \quad \text{Finds the cross sectional area required for stability } (A_x) \text{ given flow } (Q) \text{ and actual velocity } (U).$$

$$R_h = \frac{A_x}{WP} \quad (11) \quad \text{Finds hydraulic radius } (R_h) \text{ given flow area } (A_x) \text{ and wetted perimeter } (WP).$$

$$R_h = \frac{A_x}{w_b y + 2y\sqrt{z^2 + 1}} \quad (12) \quad \text{Finds hydraulic radius } (R_h) \text{ given flow area } (A_x), \text{ trapezoid base } (w_b), \text{ depth of flow } (y), \text{ and side slope } (z).$$

Table 1. Criteria for optimum swale performance.

<i>Parameter</i>	<i>Optimal Criteria</i>	<i>Minimum Criteria</i>
Hydraulic Residence Time	9 min	≥ 5 min
Average Flow Velocity	≤ 27 m <sup>3</sup> /s (0.9 ft/s)	
Swale Width	2.4 m (8 ft)	0.6 m (2 ft)
Swale Length	61 m (200 ft)	30 m (100 ft)
Swale Slope	~ 2 - 6%	~ 1%
Side Slope Ratio (horizontal:vertical)	4 : 1	2 : 1

Table 2. Guide for selecting maximum permissible swale velocities for stability.

<i>Cover Type</i>	<i>Slope (%)</i>	<i>Maximum Velocity (m/s [ft/s])</i>	
		<i>Erosion-resistant soils</i>	<i>Easily eroded soils</i>
Kentucky bluegrass Tall fescue	0 - 5	1.8 (6)	1.5 (5)
Kentucky bluegrass Ryegrasses Western wheat-grass	5 - 10	1.5 (5)	1.2 (4)
Grass-legume	0 - 5	1.5 (5)	1.2 (4)
Mixture	5 - 10	1.2 (4)	0.9 (3)
Red fescue	0 - 5	0.9 (3)	0.8 (2.5)

Table 3. Grass coverage, height, and degree of retardance

<i>Average Grass Height (mm [inches])</i>	<i>Degree of Retardance</i>
<b>Coverage = "Good"</b>	
> 760 (30)	A. Very high
280 - 610 (11 -24)	B. High
150 - 270 (6 - 10)	C. Moderate
50 - 150 (2 - 6)	D. Low
> 50 (>2)	E. Very low
<b>Coverage = "Fair"</b>	
> 760 (30)	B. High
280 - 610 (11 -24)	C. Moderate
150 - 270 (6 - 10)	D. Low
50 - 150 (2 - 6)	D. Low
> 50 (>2)	E. Very low

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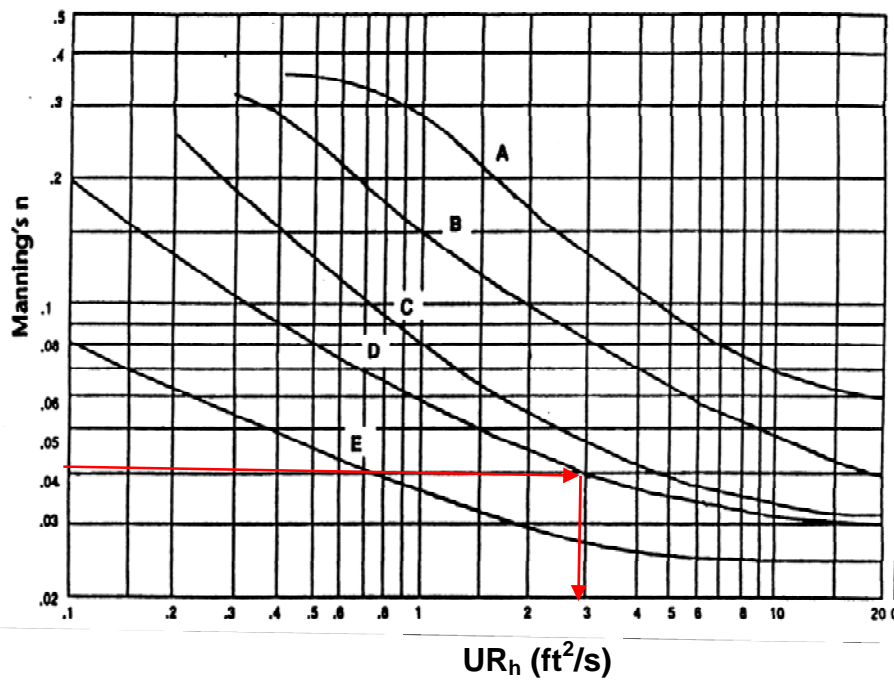


Figure 1. Relationship of Manning's n with  $UR_h$  (in  $ft^2/s$ ) for various degrees of flow retardance. ( $m^2/s = 0.09290 ft^2/s$ )